

## TARQOQ MAGNIT PARAMETRLARGA EGA DTMUKO‘QNING DINAMIK TAVSIFLARI

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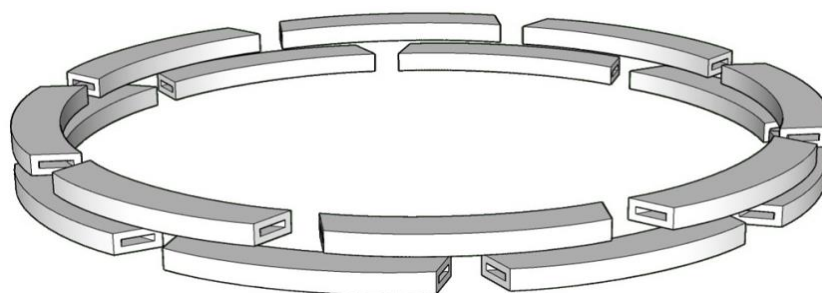
dotsent, Chirchiq OTQMBYU Quruqlikdagi  
qo‘shinlar havo hujumidan mudofaa kafedrası katta o‘qituvchisi

### Annotatsiya

Maqolada doimiy toklarni magnitomodulyatsiya usulida kontaktsiz o‘lchashda integrallash konturidagi magnit zanjir tarqoq parametrli tavsifga ega uchastkalariga bo‘lingan bo‘lib, uning magnit zanjirini hisoblash uchun parametrik struktura sxemasiga muvofiq tenglamalar va ularning yechimlari keltirilgan.

**Kalit so‘zlar:** magnit zanjir, dinamik tavsiflar, parametrli struktura sxema, havo bo‘shlig‘i, ekvivalent vaqt doimiysi.

Doimiy toklarni magnitomodulyatsiya usulida kontaktsiz o‘lchash qurilmasi (DTMUKO‘Q)ning magnit zanjirlarining yuqoridagi va pastki qatordagi elementlari 1-rasmda ko‘rsatilganidek bir xil oraliq masofada joylashgan [1]. Shuning uchun 2-rasmda tasvirlangan DTMUKO‘Qning parametrli struktura sxemasida har bir qator uchun ikkita nosimmetrik kanal ko‘rsatilgan. Ko‘ndalang va bo‘ylama havo bo‘shliqlarini hisobga olish tegishli magnit sig‘imlar ( $C_{\mu\delta q}$  va  $C_{\mu\delta d}$ ) tomonidan amalga oshiriladi [2].



1-rasm. DTMUKO‘Q magnit zanjirining integrallovchi konturi.

Tarqoq magnit parametrlarga ega DTMUKO‘Qda dinamik tavsiflar jarayonini tasvirlash uchun 2-rasmga muvofiq quyidagi tenglamalarni tuzamiz:

a) o‘zgartirgichning chiqishidagi umumiy kuchlanish

$$U_{\partial\Sigma} = 2U_{\partial}; \quad (1)$$

b) har bir kanalning chiqish kuchlanishi

$$U_{\partial}(P) = U_{\partial 1}(P) = U_{\partial 2}(P) = K_{I_{\mu\Sigma}U_{\partial}} p C_{\mu\Sigma} K_{I_{\partial-U_{\mu}}-I_{\partial}}(P); \quad (2)$$

c) umumiy magnit sig‘im

$$C_{\mu\Sigma} = \frac{1}{W_{\mu\Sigma}} = \frac{1}{W_{\mu\delta 2} + W_{\mu cm}}; \quad (3)$$

bu yerda

$$W_{\mu cm} = \frac{1}{C_{\mu cm}}; \quad (4)$$

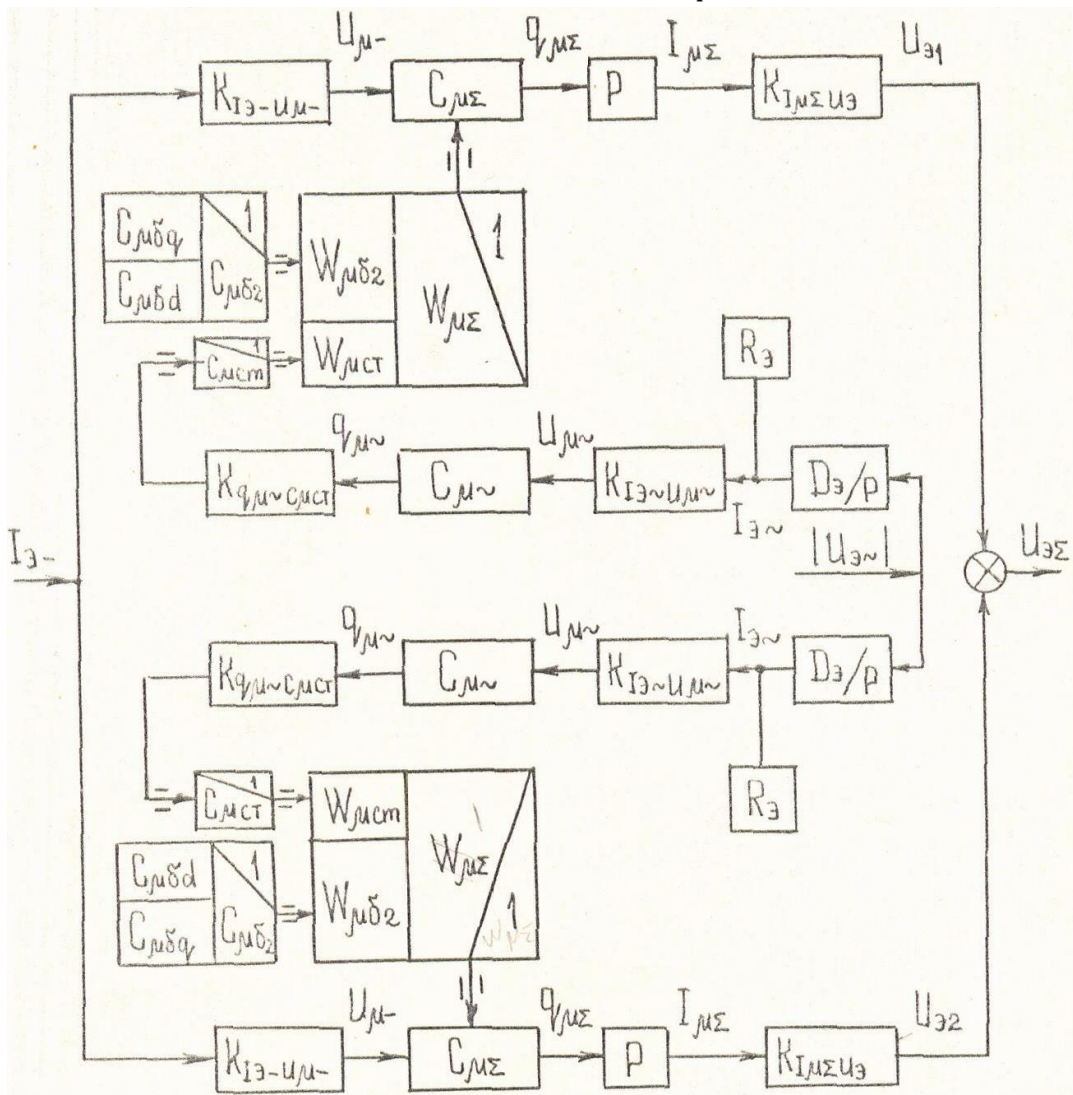
$$W_{\mu\delta 2} = \frac{1}{C_{\mu\delta}} = \frac{1}{C_{\mu\delta q} + C_{\mu\delta d}}; \quad (5)$$

$$C_{\mu\delta q} = \mu_0 \frac{(l_{\mu} + \delta)bn}{h}; \quad (6)$$

$$C_{\mu\delta d} = \mu_0 \frac{h_1 b}{\delta n}. \quad (7)$$

d) qo‘zg‘atish kuchlanishining modulyatsiya effekti (8) ifodaga teng

$$C_{\mu cm} = K_{q_{\mu} \sim C_{\mu cm}} C_{\mu \sim} K_{I_{\delta} \sim U_{\mu}} \frac{1}{p} D_{\delta} |U_{\delta \sim}|. \quad (8)$$



3.15-rasm. DTMUKO‘Q uchun parametrlı struktura sxemasi.

$$D_{\vartheta} = \frac{D_{\vartheta P}}{1 + \frac{D_{\vartheta P} R_{\vartheta}}{P}} \quad (9)$$

(9) ifodani hisobga olgan holda, (1)-(4) va (8) tenglamalarni birgalikda yechib, quyidagini hosil qilamiz [3]

$$U_{\vartheta\Sigma}(P) = \frac{2K_{I_{\mu\Sigma}U_{\vartheta}} p K_{I_{\vartheta}-U_{\mu}} I_{\vartheta}(P)}{W_{\mu\delta_2} + \frac{1}{K_{q_{\mu}\sim C_{\mu cm}} C_{\mu}\sim K_{I_{\vartheta}\sim U_{\mu}} \frac{1}{P} \frac{D_{\vartheta P}}{1 + \frac{D_{\vartheta P} R_{\vartheta}}{P}} |U_{\vartheta\sim}|}} =$$

$$= \frac{2K_{I_{\mu\Sigma}U_{\vartheta}} PK_{I_{\vartheta}-U_{\mu}} K_{I_{\vartheta}\sim U_{\mu}} C_{\mu}\sim K_{q_{\mu}\sim C_{\mu cm}} |U_{\vartheta\sim}| I_{\vartheta}(P)}{R_{\vartheta} + W_{\mu\delta_2} K_{q_{\mu}\sim C_{\mu cm}} C_{\mu}\sim K_{I_{\vartheta}\sim U_{\mu}} |U_{\vartheta\sim}| [1 + \frac{D_{\vartheta P}(R_{\vartheta} + W_{\mu\delta_2} K_{q_{\mu}\sim C_{\mu cm}} C_{\mu}\sim K_{I_{\vartheta}\sim U_{\mu}} |U_{\vartheta\sim}|)}{P}]} \quad (10)$$

Olingan ifodaning umumiy ko‘rinishi (11) tenglamaga to‘g‘ri keladi

$$U_{\vartheta}(P) = \frac{K_{I_{\mu\Sigma}U_{\vartheta}} PK_{I_{\vartheta}-U_{\mu}} I_{\vartheta}(P)}{W_{\mu\delta_1} + \frac{1}{K_{q_{\mu}\sim C_{\mu cm}} C_{\mu}\sim K_{I_{\vartheta}\sim U_{\mu}} \frac{1}{P} \frac{D_{\vartheta P}}{1 + \frac{D_{\vartheta P} R_{\vartheta}}{P}} |U_{\vartheta\sim}|}} =$$

$$= \frac{K_{I_{\mu\Sigma}U_{\vartheta}} PK_{I_{\vartheta}-U_{\mu}} K_{I_{\vartheta}\sim U_{\mu}} C_{\mu}\sim K_{q_{\mu}\sim C_{\mu cm}} |U_{\vartheta\sim}| I_{\vartheta}(P)}{(R_{\vartheta} + W_{\mu\delta_1} K_{I_{\vartheta}\sim U_{\mu}} C_{\mu}\sim K_{q_{\mu}\sim C_{\mu cm}} |U_{\vartheta\sim}|) [1 + \frac{D_{\vartheta P}(R_{\vartheta} + W_{\mu\delta_1} K_{I_{\vartheta}\sim U_{\mu}} C_{\mu}\sim K_{q_{\mu}\sim C_{\mu cm}} |U_{\vartheta\sim}|)}{P}]} \quad (11)$$

$$U_{\vartheta}(P) = - \frac{\omega_{\ddot{y}l} P I_{\vartheta}(P)}{[W_{\mu\delta_1} + D_{1\vartheta KB}(U_{\vartheta\sim})][T_1(U_{\vartheta\sim})P + 1]} \quad (12)$$

shuning uchun (12) ifodaga o‘xshab, quyidagini yozishimiz mumkin

$$U_{\vartheta\Sigma}(P) = - \frac{2\omega_{\ddot{y}l} P I_{\vartheta}(P)}{[W_{\mu\delta_2} + D_{\vartheta KB2}(U_{\vartheta\sim})][T_2(U_{\vartheta\sim})P + 1]} \quad (13)$$

bunda

$$D_{\vartheta KB2}(U_{\vartheta\sim}) = D_{\vartheta KB1}(U_{\vartheta\sim}) = \frac{R_{\vartheta}}{\frac{2}{\pi} U_{\vartheta\sim} m \frac{\mu K \omega_{\sim} h_1 b}{\ell_{\ddot{y}p} \ell_{\mu n}} [1 - \frac{2}{3} (\cos 2\omega t + \frac{1}{5} \cos 4\omega t)]}; \quad (14)$$

$$T_2(U_{\vartheta\sim}) = \frac{\mu \frac{h_1 \Delta}{\ell_{\ddot{y}p}} W_{\sim}^2}{R_{\vartheta} + \frac{2}{\pi} U_{\vartheta\sim} m \frac{\mu \omega_{\sim} K h h_1 \delta [1 - \frac{2}{3} (\cos 2\omega t + \frac{1}{5} \cos 4\omega t)]}{\mu_0 \ell_{\ddot{y}p} \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]}}; \quad (15)$$

$$W_{\mu\delta_2} = \frac{1}{C_{\mu\delta q} + C_{\mu\delta d}} = \frac{h \delta n}{\mu_0 b [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} \quad (16)$$

(13) tenglamani yuqorida tavsiflangan usul bilan yechish natijasida quyidagi ifoda hosil bo‘ladi



$$P_2(t) = \frac{1}{T_2(U_{\sim})} = \frac{2U_{\sim} \mu \omega_{\sim} Kh h_1 \delta}{\pi \mu_0 \ell_{\dot{y}p} \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} \left[ 1 - \frac{2}{3} \left( \cos 2\omega t + \frac{1}{5} \cos 4\omega t \right) \right];$$

$$S_2(t) = P_2(t) = \frac{1}{T_2(U_{\sim})} = \frac{2U_{\sim} \mu \omega_{\sim} Kh h_1 \delta}{\pi \mu_0 \ell_{\dot{y}p} \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} \left[ 1 - \frac{2}{3} \left( \cos 2\omega t + \frac{1}{5} \cos 4\omega t \right) \right];$$

$$S_2(t) = \int P_2(t) dt = \frac{1}{W_{\sim} \Delta} \left\{ \frac{2U_{\sim} Kh \delta}{\pi \mu_0 \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} + \frac{R_3 \ell_{\dot{y}p}}{\mu h_1 W_{\sim}} \right\} t - \frac{2U_{\sim} Kh \delta}{3\pi \omega \mu_0 \ell_{\mu} W_{\sim} \Delta [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} (\sin 2\omega t + 0,1 \sin 4\omega t); \quad (17)$$

$$S_2(\varphi) = \frac{1}{W_{\sim} \Delta} \left\{ \frac{2U_{\sim} Kh \delta}{\pi \mu_0 \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} + \frac{R_3 \ell_{\dot{y}p}}{\mu h_1 W_{\sim}} \right\} \varphi - \frac{2U_{\sim} Kh \delta}{3\pi \omega \mu_0 \ell_{\mu} W_{\sim} \Delta [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} (\sin 2\varphi + 0,1 \sin 4\varphi); \quad (18)$$

$$h_2(t - \varphi, \varphi) = \frac{2W_{\dot{y}l}}{T_2(U_{\sim}) [W_{\mu} \delta_2 + D_{\sim KB2}(U_{\sim})]} \left[ \frac{e^{S_2(\varphi)}}{e^{S_2(t)}} - 1 \right]. \quad (19)$$

(19) ifodadagi qiymatlarni (14)-(16), (17) va (18) tenglamalarning o‘rniga qo‘yamiz

$$h_2(t - \varphi, \varphi) = M_2(\omega t) \left\{ \exp \left[ S_2(\varphi) - \frac{t}{T_{\sim KB2}} + V_2(\omega t) \right] - 1 \right\}, \quad (20)$$

bu yerda

$$M_2(\omega t) = \frac{2W_{\dot{y}l} \left\{ R_3 + \frac{2U_{\sim} \mu W_{\sim} Kh h_1 \delta \left[ 1 - \frac{2}{3} \left( \cos 2\omega t + \frac{1}{5} \cos 4\omega t \right) \right] \right\}}{\mu h_1 W_{\sim}^2 \Delta \left\{ \frac{h \delta n}{\mu_0 b [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} + \frac{\pi R_3 \ell_{\dot{y}p} \ell_{\mu} n}{2U_{\sim} \mu K W_{\sim} h_1 b \left[ 1 - \frac{2}{3} \left( \cos 2\omega t + \frac{1}{5} \cos 4\omega t \right) \right]} \right\}}; \quad (21)$$

$$T_{\sim KB2} = \frac{1}{W_{\sim} \Delta \left\{ \frac{2U_{\sim} Kh \delta}{\pi \mu_0 \ell_{\mu} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} + \frac{R_3 \ell_{\dot{y}p}}{\mu h_1 W_{\sim}} \right\}} = \frac{W_{\sim}^2 \mu \mu_0 \pi \ell_{\mu} h_1 \Delta [(\ell_{\mu} - \delta) \delta n^2 + h h_1]}{2U_{\sim} Kh \delta \mu h_1 W_{\sim} + \pi \mu_0 \ell_{\mu} R_3 \ell_{\dot{y}p} [(\ell_{\mu} - \delta) \delta n^2 + h h_1]}; \quad (22)$$

$$V_2(\omega t) = \frac{2U_{\sim} Kh \delta}{3\pi \omega \mu_0 \ell_{\mu} W_{\sim} \Delta [(\ell_{\mu} - \delta) \delta n^2 + h h_1]} (\sin 2\omega t + 0,1 \sin 4\omega t); \quad (23)$$



$$T_{\text{ЭКВ1}} = \frac{1}{\frac{1}{h_1 W \sim \Delta} \left( \frac{2U_{\text{Э} \sim m} K \delta}{\pi \mu_0 \ell_\mu} + \frac{R_{\text{Э}} \ell_{\text{yp}}}{\mu W \sim} \right)} = \frac{\pi \mu_0 \mu \ell_\mu h_1 W \sim^2 \Delta}{2U_{\text{Э} \sim m} K \delta \mu W \sim + \pi \mu_0 \ell_{\text{yp}} \ell_\mu R_{\text{Э}}}. \quad (24)$$

Ekvivalent vaqt doimiysi (22) ifodasini tahlil qilib, biz (24) ifodada bo‘lgani kabi ishlash haqida ham xuddi shunday xulosalar chiqarishimiz mumkin [4]. Shuningdek, bu holatda ishlashni yaxshilash uchun h ko‘ndalang havo bo‘shlig‘ini oshirish kerak. Ekvivalent vaqt doimiysini (24) tahlil qilish shuni ko‘rsatadiki, DTMUKO‘Qning geometrik o‘lchamlari va parametrlari ishlash jarayoniga ta’sir qiladi. Ishlash vaqtida  $\delta$  havo bo‘shlig‘ining ortishi, qo‘zg‘atish cho‘lg‘amiga ketma-ket ulangan  $R_{\text{Э}}$  qarshilik,  $W \sim$  o‘ramlar sonining kamayishi va magnit zanjir elementining uzunligi  $\ell_\mu$  bilan ortadi.

### Foydalanilgan adabiyotlar

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